

**Exercise 1.**

Compute the **FIRST** and **FOLLOW** sets for the non-terminals **A** and **B** in the following productions:

$$\mathbf{P: \quad A \rightarrow BAa \mid \epsilon}$$

$$\mathbf{B \rightarrow bBc \mid AA}$$

**Exercise 2.**

We define the following grammar  $G = \langle N, T, P, S \rangle$  :

$$\mathbf{P: \quad S \rightarrow A a A b \mid B b B a}$$

$$\mathbf{A \rightarrow \epsilon}$$

$$\mathbf{B \rightarrow \epsilon}$$

**a) Construct the LL(1) parsing table** for grammar G. Is this grammar LL(1)?

**b) If yes, analyze the following strings: **abb** and **ab****

**Exercise 3.**

Consider the following grammar G :

$$\mathbf{S \rightarrow a \mid b \mid (T)}$$

$$\mathbf{T \rightarrow T, S \mid S}$$

1. Is the grammar **LL(1)**?

2. **Eliminate left recursion** and **factorize** if necessary.

3. **Prove** that the grammar obtained in step 2 is **LL(1)**, and **construct its parsing table**.

4. **Explain** the behavior of the parser on the input string **(a,(b,a),a)**

**Exercise 4.**

We define the following grammar  $G = \langle N, T, P, S \rangle$  :

P :

$$\mathbf{S \rightarrow (A) \mid a}$$

$$\mathbf{A \rightarrow SB}$$

$$\mathbf{B \rightarrow ,S \mid Sa)}$$

1. Is the grammar **G** **LL(1)**? Justify your answer.

2. Write the **recursive descent parsing algorithm** that recognizes the words of the language **L(G)**.

3. Parse the following string: **((a,a))**